

Concurrency Theory WS 2019/2020

— Exercise 7 —

Hand in until November 28th before the exercise class.

Exercise 1

(30 Points)

In this exercise, Act^∞ denotes the set of all *infinite* words over Act . Moreover, for $w' \in \text{Act}^*$ and $w \in \text{Act}^\infty$, we write $w' \sqsubseteq_{\text{fin}} w$ iff w' is a *finite* prefix of w .

For every $P \in \text{Pr}$, we define the set of *maximal traces* $\text{MTr}(P)$ of P by

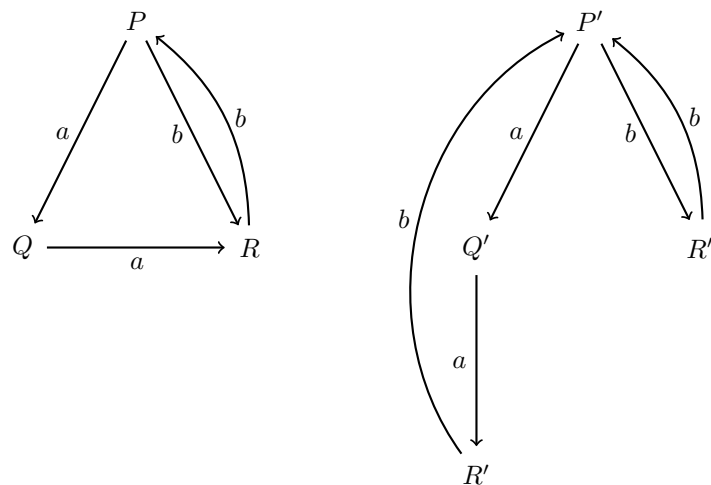
$$\text{MTr}(P) = \left\{ w \in \text{Act}^* \mid \exists Q: P \xrightarrow{w} Q \wedge Q \not\rightarrow \right\} \cup \left\{ w \in \text{Act}^\infty \mid \forall w' \sqsubseteq_{\text{fin}} w: \exists Q: P \xrightarrow{w'} Q \right\} .$$

Prove or disprove: Maximal trace equivalence is a congruence w.r.t. restriction.

Exercise 2

(20 Points)

Consider the following LTS:

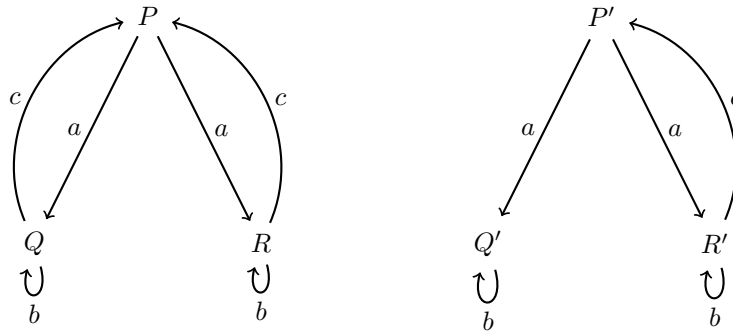


1. Give the smallest strong bisimulation of the above LTS.
2. Give the smallest strong bisimulation \mathcal{R} , such that $P \mathcal{R} P'$.
3. Prove or disprove: \mathcal{R} is an equivalence relation.

Exercise 3

(20 Points)

Consider the following LTS:



1. Show that $P' \equiv_{\text{TR}} P$, where \equiv_{TR} denotes trace equivalence.
2. Give \sim . Does $P \sim P'$ hold?

Exercise 4

(30 Points)

Prove the theorem [Stirling 1995, Thomas 1993] on Slide 18 of Lecture 13.