

– Assignment 4 –

Exercise 1

(3 points)

Formally prove or disprove the correctness of the following statements for **CMSGs**:

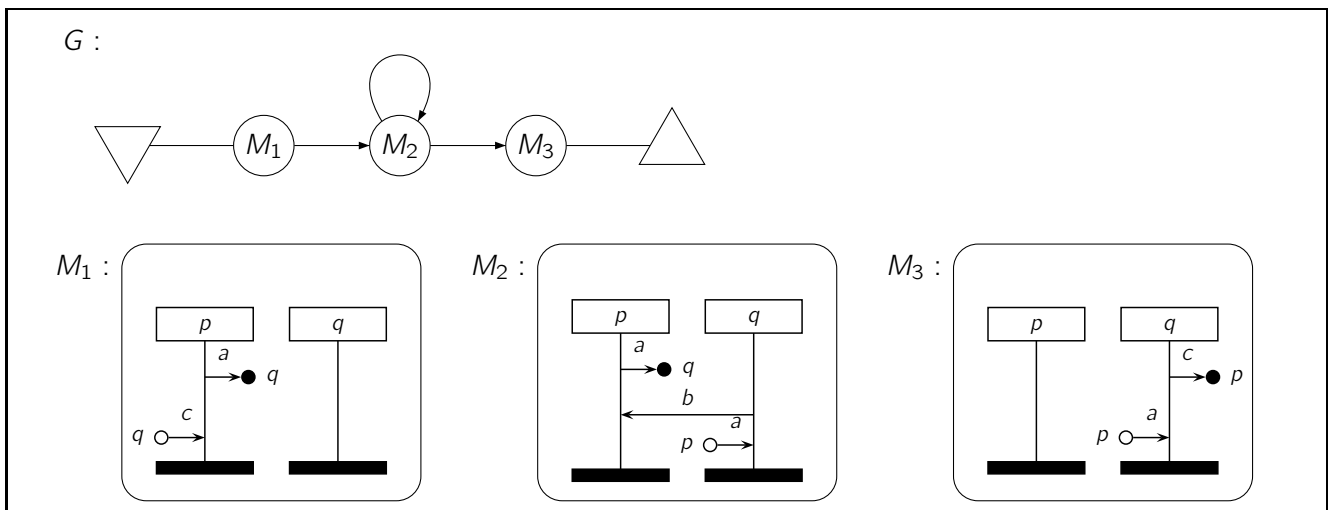
(here, $M_i \in \text{CM}$, $i \in \{1, 2, 3\}$; $|$ stands for *choice*, \bullet for (*weak*) *concatenation*, and $*$ for *iteration*)

1. $(M_1 \bullet M_2) | M_3 = (M_1 | M_3) \bullet (M_2 | M_3)$
2. $(M_1 | M_2) \bullet M_3 = (M_1 \bullet M_3) | (M_2 \bullet M_3)$
3. $M_1^* | M_2^* = (M_1 | M_2)^*$

Exercise 2

(3 points)

Given a **CMSG** G as follows:



Construct a pushdown automaton for channel p to q in G and check whether all accepting paths of G are safe.

Exercise 3

(4 points)

Given an MSC M with n events and k processes and an automaton A of size m (i.e. the number of states is m).

Prove that: the decision problem whether a $L(M) \cap L(A) = \emptyset$ can be solved in time $\mathcal{O}(m \cdot n^k)$, and is *coNP-complete*.